

MIMO-OFDM FOR ARBITRARY MULTIPLEXING RATES BASED ON DYNAMIC SUB CARRIER MAPPING

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ABSTRACT

Multiple-input multiple-output (MIMO) wireless technology in combination with the orthogonal frequency-division multiplexing (MIMO-OFDM) is an attractive air interface solution for next-generation wireless local area networks (WLANs). Among the various resources in MIMO multicarrier systems the multiplexing rate assignment is related to the rate of transmissions. Here we proposed a new hybrid cyclic delay diversity (HCDD) scheme for multiple inputs multiple output (MIMO)-orthogonal frequency division multiplexing (OFDM) systems. Here we can achieve non integer multiplexing rate by assigning sub carriers and we can also select required number of transmitting antennas and adjusting diversity and multiplexing gains to matching various user requirements. In order to bridging the multiplexing rate with diversity gain here we propose dynamic sub carrier mapping for subcarrier allocation for multiplexing rate achievements. The advantage of proposed system is presented in the applications of scalable video broadcasting (SVB).

Keywords—MIMO-OFDM, DSTTD, CDD, SCDD, diversity multiplexing-tradeoff.

1. INTRODUCTION

Multiple-input multiple-output (MIMO) antenna techniques can improve system capacity, enhance link reliability and reduce interference. Improvements to system capacity and link reliability in MIMO systems result from the spatial multiplexing (SM) gain and the diversity gain respectively. Spatial multiplexing gain is contributed by the parallel transmissions of independent data streams in the multiple pairs of transmitting and receiving antennas. In contrast, multiple replicas of the same signal in multiple antennas yield spatial diversity gain, and it improves link reliability. Thus the performance of MIMO antenna systems should be designed based on the multiplexing and diversity tradeoff. Another important broadband wireless transmission technique is orthogonal frequency division multiplexing (OFDM), which can overcome the inter symbol interference (ISI) when transmitting high-rate data in a frequency selective fading channel. Furthermore, OFDM can also provide a degree of freedom in subcarriers for resource allocation. Because MIMO and OFDM can enhance system performance from different aspects, MIMO-OFDM has become an important research area in the past decade [1], [2].

In the literature survey, many MIMO-OFDM systems have been proposed to achieve the diversity and the multiplexing gains. In [3] a double space time transmit diversity (DSTTD) transmission architecture was proposed for MIMO-OFDM systems, decoded with a pre-whitening filter followed by a minimum-Euclidean distance decoder. Three types of group receivers were proposed to separate the filtered multiplexing streams, followed by a space-time decoder [4]. Switching between two hybrid MIMO structures was proposed to improve transmission over wireless systems [5]. An algorithm to find the optimal antenna grouping configuration maximizing the throughput of the diversity-multiplexing combined system was proposed [6]. However, the existing MIMO-OFDM architectures can only achieve the integer multiplexing rate [7].

Cyclic delay diversity (CDD) is another popular diversity technique that has been proposed for MIMO-OFDM systems. With CDD, the same OFDM signal is transmitted over different antennas, each of which experiences different cyclic shifts. Thus, extra frequency selectivity can be created at the receiver without changing the receiver structure. For

combining CDD with the SM-based MIMO can provide both the diversity and multiplexing gains. The combination of CDD and SM-based MIMO systems was adopted without considering the non-integer multiplexing rates. In our previous work, we proposed a hybrid scheme to obtain non-integer multiplexing rates by combining SCDD and SM-based MIMO-OFDM systems. However, the systematic code construction and the outage capacity performance have not yet been reported.

The main objective of this paper is to investigate how a MIMO-OFDM system can flexibly exploit the diversity and multiplexing gains to support various data rates and link reliability requirements. The proposed hybrid cyclic delay diversity (HCDD) scheme is designed by combining pure CDD and spatial multiplexing in the OFDM system. The advantage of subcarrier rate assignment in OFDM systems, we proposed HCDD scheme can achieve non-integer multiplexing rates.

2. REVIEW OF CDD AND SCDD

A. Cyclic Delay Diversity

In OFDM systems, the information-bearing symbols $s[k]$ is modulated onto orthogonal subcarriers via Inverse Fast Fourier Transform (IFFT) operation. The received signals can be simply represented as $y_k = H_k s_k$ where H_k is the single-input single output (SISO) channel frequency response. When multiple transmit antennas are available, M_t transmitting antennas, the signal transmitted from the m -th antenna is

$$x_m[n] = \frac{1}{\sqrt{NM_t}} \sum_{k=0}^{N-1} s_k \exp \left\{ j \frac{2\pi k((n - \delta_m) \bmod N)}{N} \right\}$$

where N is the number of subcarriers and δ_m is the value of cyclic delay.

The cyclically shifted signal $x_m[n]$ can be

$$x_m[n] = \frac{1}{\sqrt{NM_t}} \sum_{k=0}^{N-1} \left(e^{-j \frac{2\pi \delta_m k}{N}} s_k \right) e^{j \frac{2\pi n k}{N}}$$

B. Stacked Cyclic Delay Diversity

The CDD scheme can incorporate spatial multiplexing techniques by stacking multiple groups of CDD antennas, which is referred to as the stacked CDD or the cyclic delay assisted SM-OFDM (CDA-SM-OFDM) [8]. The basic idea of SCDD is to separate data streams into the different groups upon which the CDD scheme is involved. Consider single user MIMO OFDM system with M_t transmitting antennas, M_r receiving antennas and N subcarriers. Let r be the number of streams to be transmitted, $s_k =$

$[s_k^{(1)}, \dots, s_k^{(r)}]^T$ symbols of each stream at the k -th subcarrier after channel coding and quadrature amplitude modulation (QAM). M_t transmitting antennas are divided to r groups, each of which is equipped with $B = M_t/r$ antennas. The received signal at the k -th subcarrier can be expressed as

$$y_k^s = \frac{1}{\sqrt{M_t}} H_k^{(s)} s_k$$

3. PROPOSED SCHEME HYBRID CYCLIC DELAY DIVERSITY

A. Basic Concept

Diversity and multiplexing in the antenna spatial dimension, as exploited by the existing DSTTD and SCDD schemes, we propose a hybrid CDD scheme to explore the subcarrier frequency dimension in OFDM system. Further most existing MIMO-OFDM schemes, in which all subcarriers transmit at the same rate, the proposed HCDD scheme can support different rates at each subcarrier or a group of subcarriers. Let r_k be the number of streams assigned to the k -th subcarrier, and $s_k = [s_k^{(1)}, \dots, s_k^{(r)}]^T$. The received signal at the k -th subcarrier can be expressed as

$$\tilde{y}_k = \frac{1}{\sqrt{M_t}} (H_k D_{M_t, k} V_t) s_k + W_k$$

where H_k is the MIMO channel frequency response and $D_{M_t, k}$ is a diagonal matrix corresponding to the frequency equivalent operation of cyclic delay at each transmitting antenna.

The main advantage of HCDD is that the rate of space-time codes can be adjusted flexibly according to the system requirements by assigning r_k to different sub-carriers. The number of transmitting antennas for the HCDD can also be adjusted flexibly. The minimum number of transmitting antennas required for DSTTD or SCDD is four, while HCDD can be applied to systems with only two transmitting antennas.

B. Construction of HCDD Codes

The general concept of HCDD, r_k can be flexibly assign to each subcarrier and is only limited by the number of transmitting antennas M_t . However, there are a large number of subcarriers in contemporary communications systems, the decoding process becomes extremely difficult to manage if r_k is arbitrarily assigned without rules. To control the complexity of the encoding and decoding process to maintain the flexibility of HCDD scheme, the following systematic construction method is

proposed. The rate of the HCDD code is determined by

$$r = \frac{\sum_{p=1}^P f_p N_p}{N_q}$$

where N_p is the number of subcarriers with rate equal to f_p . The HCDD encoder chooses one feasible subcarrier number combination $[N_1, N_2, \dots, N_P]$ which is applied to all the resource blocks and the algorithm shows in figure 2. The proposed construction method has the following two advantages. First, since CDD is an open-loop transmitting diversity technique, no channel state information (CSI) is required at the transmitter. It is beneficial to apply r_k uniformly among all the subcarriers. Secondly, as long as the finite possible combinations are clearly defined and indexed at both the transmitter and receiver, the decoder needs only the index number $[N_1, N_2, \dots, N_P]$ to perform decoding, so much less information is needed than other construction methods.

C. Detection of HCDD

The decoding process of the proposed HCDD scheme also becomes very easy. If a receiver is informed of the subcarrier combination $[N_1, N_2, \dots, N_P]$ chosen by transmitter, the multiplexing rate at each subcarrier r_k is known. Then the decoding process is performed by straightforwardly on a tone-by-tone basis.

For the subcarriers with $r_k=1$, \tilde{H}_k is a $(M_r \times 1)$ vector, and scalar minimum-mean-square-error (MMSE) detector is given as:

$$G_k^{MMSE} = (\tilde{H}_k^H \tilde{H}_k + \frac{1}{SNR})^{-1} \tilde{H}_k$$

The subcarriers with $r_k \geq 2$, QR-decomposition (QRD) can be used to obtain successive interference cancellation (SIC). The QRD of H_k is given by $H_k = Q_K R_K$, where Q_K is the $(M_r \times r_k)$ unitary matrix and R_K is the $r_k \times r_k$ upper triangular matrix.

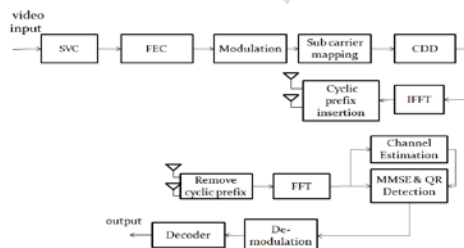


Figure.1. Proposed HCDD - SVB transmitter and receiver.

D. HCDD Transceiver Architecture and its Application in SVB

In mobile communication systems, the video streaming applications have been increase rapidly and thus expecting more bandwidth. Therefore, it becomes important to develop bandwidth-efficient video transmission techniques. By broadcasting and multicasting, multiple mobile terminals can be served with common data and radio resources.

Scalable video coding (SVC) is an extension of H.264/AVC video compression standard [9]. SVC can separate a high-quality video stream into several distinct streams called the basic layer and advanced layer(s). As long as the basic layer can be decoded correctly, the terminal can at least display a low resolution video. The display quality can be enhanced if the next layer is decoded correctly. When all the layers are decoded successfully, the original high-quality video is recovered. The signal processing of an HCDD based SVB is illustrated in fig 1.

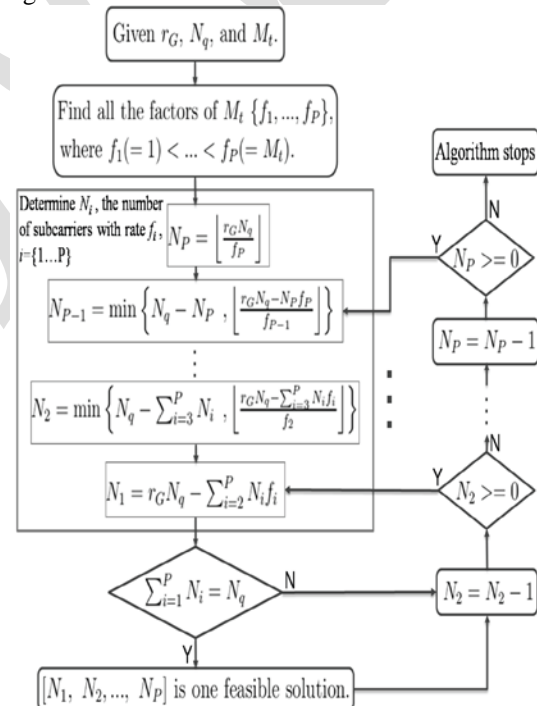


Figure.2. Algorithm for HCDD code construction.

For the receivers, with HCDD-based SVB, the smaller terminals with single antenna only need to access the subcarriers carrying the basic layer with highest reliability ($r_k=1$). In practice, because a small handheld terminal has a small display, low resolution

video is sufficient. Moreover, small terminals are more sensitive to manufacturing cost and power consumption, single antenna/RF chain and lower complexity are preferred. On the other side, bigger terminals with two or more antennas can access the subcarriers carrying advanced layers with $r_k \geq 2$. More advanced signal processing techniques are also applicable to enhance the service quality. This is reasonable since a bigger terminal with the larger display is more likely to have multiple RF chains and higher complexity. As a result, a finer video can be achieved when more receiving antennas and channel ranks are available and basic video is always available for all terminals. Furthermore, small terminals can be made more simply and better energy efficient than conventional SCFDM-based SVB receivers.

4. NUMERICAL RESULTS

The performance of the proposed HCDD scheme with current CDD, SCDD and spatial multiplexing schemes. As mentioned above, the major advantage of the HCDD scheme is its flexibility to achieve non-integer diversity – multiplexing – tradeoff requirements. The proposed HCDD will be shown in terms of the outage capacity and bit error rate (BER).

Without using CSI at the transmitter, the per-tone channel capacity for MIMO-OFDM systems is written as [10]

$$C_k = \log_2 \left[\det \left(I_{M_r} + \frac{E_s}{M_t} H_k H_k^H \right) \right]$$

$$= \sum_{i=1}^{R_k} \log_2 \left(1 + \frac{E_s}{M_t N_0} \lambda_i \right)$$

where R_k is the rank and λ_i ($i = 1, 2, \dots, R_k$) are the positive values of $H_k H_k^H$. Thus the channel capacity averaged over all subcarriers is given by

$$C = \frac{1}{N} \sum_{k=1}^N C_k$$

The per-tone channel capacities for the HCDD and SCDD schemes are obtained by channel matrix H_k and H_k^H . The q % outage capacity is called as the channel capacity that (100- q) % independent realizations can achieve.

A. Outage Capacity Performance

The 1% outage capacity of the SM, CDD, HCDD schemes in 2x2 MIMO-OFDM systems, where the multiplexing rates are shown in fig 3. The SM and CDD schemes are two and one respectively. In contrast, the multiplexing rate of the HCDD scheme can be flexibly chosen as any non integer number between one and two. The HCDD with $r_G = 1.5$ is located exactly between the other two schemes. Suppose that 10 bps/Hz is required to guarantee 99% of all channels when E_b/N_0 reaches 25 dB. Then the proposed HCDD scheme $r_G = 1.5$ can satisfy this particular requirement.

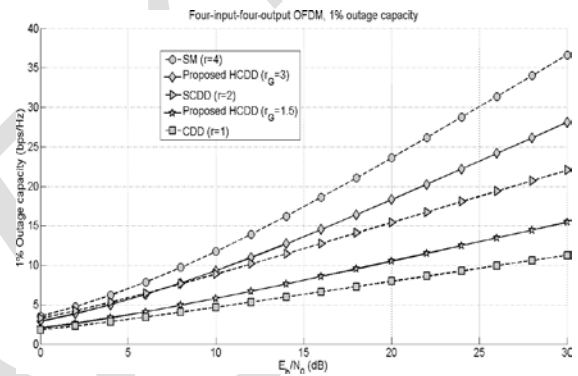


Figure.3. The 1% outage capacity performance of different transmission scheme in the 4x4 MIMO – OFDM systems.

The non-integer multiplexing rates for the HCDD scheme are achieved by assigning $[N_1 N_2 N_3]$ (number of subcarriers with $r_k = 1, r_k = 2$, and $r_k = 4$ in each 10-subcarrier resource block). In this example, the values of $[7 \ 2 \ 1]$ and $[2 \ 2 \ 6]$ result in the multiplexing rates $r_G = 1.5$ and $r_G = 3$, respectively.

B. Impact of Antenna Correlation

The correlation among transmitting antennas is kept as small as 0.1. The correlated channel can be described as

$$H_k = H_k^{(w)} R^{\frac{1}{2}}$$

where $H_k^{(w)}$ is the uncorrelated channel matrix; R is the exponential correlation matrix; $R_{i,j} = \rho^{|i-j|}$ and ρ is the correlation coefficient between consecutive antennas. The antenna correlation increases from 0.1 to 0.9, the capacity of the proposed HCDD decreases by 32% and 26% when the rate is 12 and 5 respectively, which are between the SM and CDD scheme.

C. Bit Error Rate

Here we obtain the bit error rate performance of different antenna and multiplexing schemes in MIMO-OFDM systems. Table I shows the system parameters used in our simulations. Figure 4 shows the bit error rate (BER) performance of the HCDD scheme with the multiplexing rate $r_G = 1.25$ and $r_G = 1.33$.

For comparison, the BER performances of the MIMO-OFDM systems with SM and CDD are shown. It is well known that the diversity gain can be estimated from the slope of the BER curve against E_b / N_0 . The SM MIMO systems and CDD MIMO systems can be viewed as the extreme cases of the HCDD scheme.

Table I. Bit Error Rate Simulation Parameters

Parameter	Description
Number of subcarriers (N)	128
Carrier bandwidth	10 MHz
Cyclic prefix length	N/4
Channel Model	Flat-fading channel
Channel Code	Convolutional encoder, Viterbi decoder
Constraint Length	7, [133 171]
Modulation	BPSK
MIMO Receiver	Linear MMSE
Channel Estimation	Ideal Channel Estimation

The multiplexing rates of the HCDD scheme are 0.8, 1.5 and 4.0 and can be any non-integer between 1 and 4 for providing more flexibility in system [11]. For the 0.01 BER requirement the proposed scheme can achieve multiplexing rates from 2 up to 4 by adjusting the values of $[N_1 N_2 N_3]$.

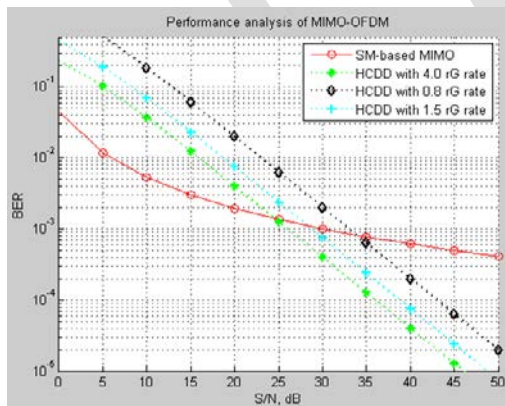


Figure.4. Comparison of the bit error rate performance of HCDD and SM antenna transmission in 4×4 MIMO-OFDM systems.

The SNR vs. BER for HCDD and SM, etc., we obtain BER at the y-axis for a fixed E_b / N_0 at x-axis. As shown in the figure, one can see that the proposed HCDD fills the gap of the CDD/SCDD and SM for the case 4×4 MIMO-OFDM at $E_b / N_0 = 10$ dB.

D. SVB using HCDD

Three layers are transmitted by a four-antenna BS. For each OFDM symbol, the data bit of each layer is 160, 160, and 240 bits, respectively. Layer 1 is the basic layer and the other two layers are represented as advanced layers. Layer 2 can be decoded only if layer 1 is decoded successfully. Layer 3 can be decoded only if layer 1 and 2 are both decoded successfully. All layers can be detected, and HCDD is slightly superior to SCFDM in all layer coverage. In addition to the comparable coverage performance, HCDD receivers still have the advantage of less complexity than SCFDM receivers.

5. CONCLUSION

This paper proposes a novel HCDD architecture to achieve flexible diversity-multiplexing tradeoff in MIMO OFDM systems. Unlike the existing transmitting antenna diversity scheme, which is suitable only for integer multiplexing rates, the proposed HCDD MIMO-OFDM systems can achieve non-integer multiplexing rates by taking advantage of the rate assignment in the degree of freedom subcarrier. Our simulation results show that the proposed HCDD can successfully fill the performance gap between the existing MIMO schemes, which can only provide the integer value multiplexing rates. The idea of utilizing the dimension subcarrier of OFDM to achieve the non-integer multiplexing rates can achieve the diversity and multiplexing tradeoff with more flexibility and can provide important insights into the design of future MIMO-OFDM systems. The combination of HCDD with SVB provides flexible diversity gains to different layers, and the overall receiver complexity is lower than conventional scheme.

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